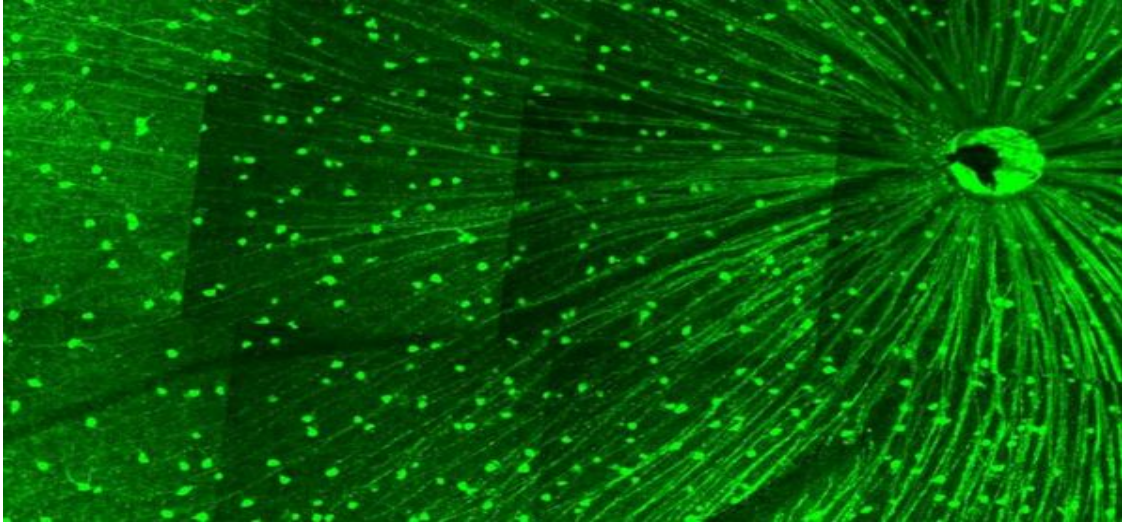


# R M M

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$2^{2019}$  has " $m$ " digits.  $5^{2019}$  has " $n$ " digits. Find:

$$\Omega = m + n$$

*Proposed by Alpaslan Ceran-Turkey*

*Solution 1 by Khaled Abd Imouti-Damascus-Syria; Solution 2 by Tran Hong-Dong Thap-Vietnam*

***Solution 1 by Khaled Abd Imouti-Damascus-Syria***

$2^{2019}$  has " $m$ " digits,  $5^{2019}$  has " $n$ " digits. Find:  $\Omega = m + n$

$$2^{2019} \times 5^{2019} = (10)^{2019}$$

$$\Omega = m + n = 2020$$

***Solution 2 by Tran Hong-Dong Thap-Vietnam***

*With  $[*]$  - great integer function, we have:*

$$m = [\log 2^{2019}] + 1 = [2019 \cdot \log 2] + 1 = [2019 \cdot 0,3010] + 1 = 607 + 1 = 608$$

$$n = [\log 5^{2019}] + 1 = [2019 \log 5] + 1 = [2019 \cdot 0,6989] + 1 = 1411 + 1 = 1412$$

$$\Rightarrow m + n = 1412 + 608 = 2020.$$